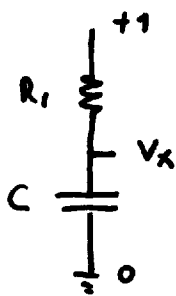


$R_2 = 0$

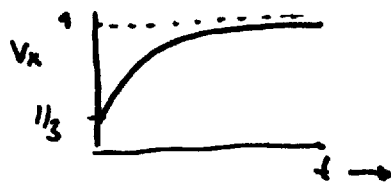
all voltages divided by  $V_{cc}$   
 ( $2/3 \Rightarrow 2/3 V_{cc}$ , etc.)

charging cycle phase :



note : transistor Q is open circuit ( $V_B = 0$ ) and effectively  $R_3$  is disconnected  
 note : no current enters in the op-amps

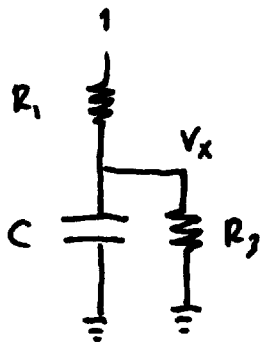
$\tau = R_1 C$  ,  $V_{(\infty)} (I=0) = 1$  ,  $V_x(0) = 1/3$



note :  $1/3$  will be obvious in a moment

when  $V_x$  reaches  $2/3$  the top op-amp comparator O1 output goes from low to high . or in other words, R input of flipflop F :  $\downarrow$  . This changes the state of the output Q of the flipflop from high to low and  $\bar{Q}$  from low to high .  $V_B$  of transistor Q goes from 0 to 1 and the transistor opens. This starts the second half of a cycle

Discharging cycle phase



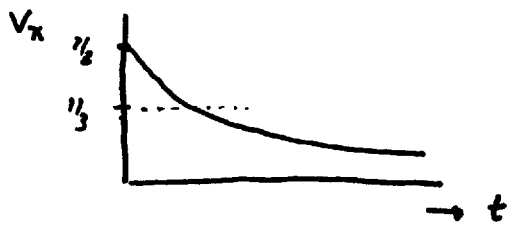
note : 100Ω of transistor is to protect it.

$$\tau = (R_1 \parallel R_3) C$$

$$V_x(0) = \frac{2}{3}$$

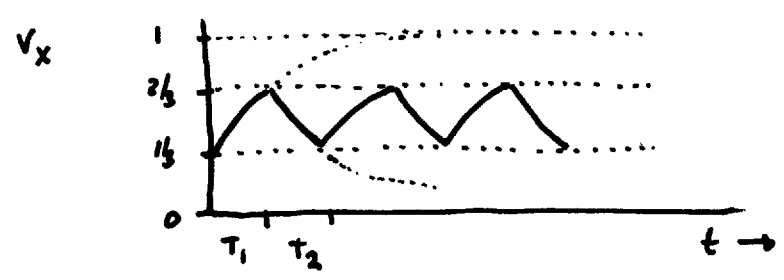
$$V_x(\infty) = \frac{R_3}{R_1 + R_3}$$

note  $R_3 < R_1/2$  !



When \$V\_x\$ drops below \$1/3\$, the bottom op-amp comparator O2 output goes from low to high. This is the "set" input of flip-flop F. Thus the output of this flip-flop goes from low to high and \$\bar{Q}\$ from high to low. This closes the transistor Q. And a new charging phase starts.

Note : the flip-flop responds only to changes low to high. (\$\lrcorner\$) and not to high or low inputs itself, nor to changes high to low (\$\llcorner\$).



T1 :  $V_x(t) = 1 - \frac{2}{3} \exp(-t/\tau)$        $\tau = R_1 C$

$V_x(t) = \frac{2}{3} \Rightarrow t = \tau \ln(2) = T_1$

$$T_2 : V_x(t) = \alpha + \left(\frac{2}{3} - \alpha\right) \exp(-t/\tau_2)$$

$$\alpha = \frac{R_3}{R_1 + R_3} (V(\infty))$$

$$\tau_2 = (R_1 // R_3) C$$

$$V_x(t) = \frac{1}{3} \Rightarrow t = \tau_2 \ln \left[ \frac{3\alpha - 2}{3\alpha - 1} \right] = T_2$$

example ( $T = T_1 + T_2 = 1 \text{ ms}$ )

$$T_1 = 667 \mu\text{s}, T_2 = 333 \mu\text{s}$$

$$C = 100 \text{ nF} \Rightarrow \tau_1 = T_1 / \ln(2) = 9.62 \cdot 10^{-4} \text{ s}$$

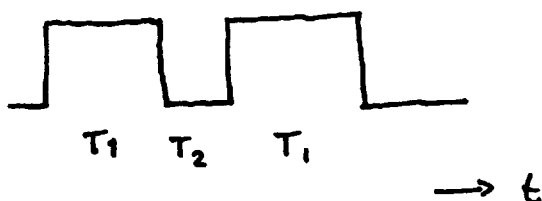
$$\tau_1 = R_1 C \Rightarrow R_1 = \tau_1 / C = 9.623 \text{ k}\Omega$$

$$T_2 = \frac{R_1 R_3}{R_1 + R_3} C \ln \left[ \frac{R_3 - 2R_1}{2R_3 - R_1} \right] = 333 \mu\text{s}$$

$$\Rightarrow R_3 = 2.948 \text{ k}\Omega$$

~~---~~

out



duty cycle 67%